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Spatial Variation of Ozone Depletion Rates in the Springtime Antarctic Polar Vortex  
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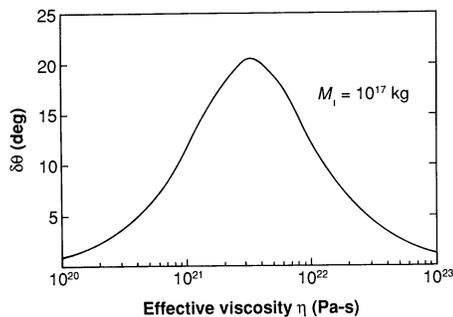
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**Fig. 1.** Change in obliquity  $\delta\theta$  as a function of effective viscosity  $\eta$  for a cap radius of  $10^\circ$  and  $M_i = 10^{17}$  kg. The total change in cap mass over one cycle is  $2M_i$ . Larger or smaller changes in mass shift the curve proportionally up or down. The instantaneous obliquity today is  $25.2^\circ$ , which is coincidentally near the present average of  $24.4^\circ$ .

planet

$$\Delta J_2^0 = -M_i(\cos\xi \cos\Psi)/M \quad (10)$$

Viking spacecraft measurements indicate that  $\sim 3 \times 10^{17}$  kg of  $\text{CO}_2$  is flushed every  $10^5$  years from the megaregolith (7, 10). Such a vast reservoir of oxygen is needed to explain the lack of enrichment of  $^{18}\text{O}$  relative to  $^{16}\text{O}$ , as would be expected from exospheric escape. I will adopt an estimate of  $M_i = 10^{17}$  kg, with  $\Psi = 10^\circ$  (7).

The effective viscosity of Mars' mantle is not known; the change in obliquity for various viscosities based on Eqs. 8 through 10 is shown in Fig. 1. For comparison, the effective viscosity of Earth's upper mantle is about  $10^{21}$  Pa-s (11). Values only slightly higher than Earth's account for nearly the entire obliquity of the red planet.

Mars is less active tectonically than Earth, so that one might expect a cooler interior and a higher viscosity. On the other hand, experimental studies (12) indicate that the effective viscosity of Mars may be  $4 \times 10^{20}$  Pa-s or less (for tectonic loads on the order of 100 bars, rather than the more modest  $\sim 1$  bar for the massive caps). Thus the range of viscosities shown in Fig. 1 does not appear to be unreasonable, and the axial tilt of Mars may have changed significantly over the age of the solar system. This could have important implications for the paleoclimate of this planet.

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1 December 1989; accepted 5 March 1990

## Spatial Variation of Ozone Depletion Rates in the Springtime Antarctic Polar Vortex

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An area-mapping technique, designed to filter out synoptic perturbations of the Antarctic polar vortex such as distortion or displacement away from the pole, was applied to the Nimbus-7 TOMS (Total Ozone Mapping Spectrometer) data. This procedure reveals the detailed morphology of the temporal evolution of column  $\text{O}_3$ . The results for the austral spring of 1987 suggest the existence of a relatively stable collar region enclosing an interior that is undergoing large variations. There is tentative evidence for quasi-periodic (15 to 20 days)  $\text{O}_3$  fluctuations in the collar and for upwelling of tropospheric air in late spring. A simplified photochemical model of  $\text{O}_3$  loss and the temporal evolution of the area-mapped polar  $\text{O}_3$  are used to constrain the chlorine monoxide (ClO) concentrations in the springtime Antarctic vortex. The concentrations required to account for the observed loss of  $\text{O}_3$  are higher than those previously reported by Anderson *et al.* but are comparable to their recently revised values. However, the  $\text{O}_3$  loss rates could be larger than deduced here because of underestimates of total  $\text{O}_3$  by TOMS near the terminator. This uncertainty, together with the uncertainties associated with measurements acquired during the Airborne Antarctic Ozone Experiment, suggests that in early spring, closer to the vortex center, there may be even larger ClO concentrations than have yet been detected.

**M**AN-MADE HALOCARBONS HAVE been generally recognized as the cause of enhanced springtime  $\text{O}_3$  depletion in the Antarctic stratosphere (1–7). However, the detailed description of  $\text{O}_3$  loss rates in the “ $\text{O}_3$  hole” needed for testing the theories quantitatively is not known. The most comprehensive global and temporal  $\text{O}_3$  data set is the TOMS data obtained

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by the Nimbus-7 spacecraft since 1978 (2, 8). This instrument derives high-quality total column  $\text{O}_3$  (precision  $\sim 1\%$ ) from back-scattered sunlight in several ultraviolet channels. Daily data sets are available for 1979 through 1989 with latitude and longitude resolutions of  $2^\circ$  and  $5^\circ$ , respectively, covering the whole globe except for the unilluminated winter poles, where data collection is impossible. It is difficult to extract from these data information on the spatial dependence of the  $\text{O}_3$  loss rate in spring within the polar vortex for two reasons. First, the center of the  $\text{O}_3$  hole (as defined by the minimum  $\text{O}_3$  isopleth) does not stay fixed at the South Pole. It may wander off the pole by as much as  $10^\circ$  in a few days. Second, the

O<sub>3</sub> isopleths are not parallel to the latitude circles. They can become distorted, elongated, twisted, and occasionally broken up in a very short period in response to wave activity. Because of these fundamental difficulties, no quantitative information has been derived on the relative rates of O<sub>3</sub> loss from the center of the vortex to the collar.

We have analyzed the TOMS data in a way that reduces the local and temporal variability by using the horizontal projection of the area enclosed inside an O<sub>3</sub> contour as the radial coordinate. This method is similar to that used in area mapping of Ertel's potential vorticity on an isentropic surface (9). Let  $\Omega(\theta, \phi, t)$  be the observed column abundance of O<sub>3</sub>, as a function of latitude ( $\theta$ ), longitude ( $\phi$ ), and time ( $t$ ). A contour line is defined by the isopleth  $\Omega(\theta, \phi, t) = \Omega^*$ . The area  $A(t, \Omega^*)$  is defined as the total projected area enclosed by the contour  $\Omega = \Omega^*$ ,

$$A(t, \Omega^*) = \int_{\Omega < \Omega^*} dA(t, \Omega) \quad (1)$$

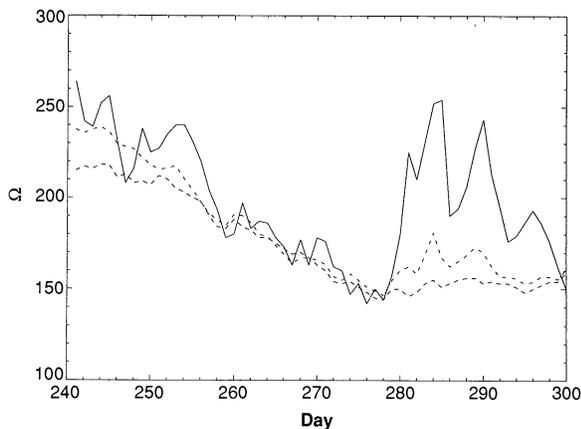
where  $dA(t, \Omega)$  is the horizontal projection of an area element. This definition is most useful when  $\Omega$  decreases monotonically (but not necessarily uniformly) toward the center of the vortex. When this condition is not satisfied (for example, when an isopleth encloses two distinct patches of area), Eq. 1 is still well defined mathematically, but its physical interpretation becomes obscure. Inspection of the TOMS data atlas (10) confirms that the isopleths typically increase monotonically from the center of the vortex to close to the collar but generally not beyond the collar region. If the distribution of O<sub>3</sub> were zonally symmetric around the pole, then the isopleth  $\Omega^*$  would coincide with the latitude circle  $\theta^*$ . In this case,  $A(t, \Omega^*)$  would simply be the total projected area southward of  $\theta^*$ ,

$$A(t, \Omega^*) = A(t, \theta^*) = 2\pi R^2 [1 - \cos(90^\circ + \theta^*)] \quad (2)$$

where  $R$  is the planetary radius, and  $\theta^*$  is the latitude defined to be 0° at the equator and -90° at the South Pole. When the isopleths are not azimuthally symmetric, Eq. 2 can still be used to define the equivalent latitude  $\theta_E$ ,

$$A(t, \Omega^*) = 2\pi R^2 [1 - \cos(90^\circ + \theta_E)] \quad (3)$$

The equivalent latitude represents the latitude at which a zonally symmetric contour  $\Omega^*$  would lie if it enclosed an area  $A(t, \Omega^*)$ . The entire Southern Hemisphere has an area  $A = 2\pi R^2$ , and we will adopt this quantity as a convenient unit. Another important physical quantity is the total area-integrated



**Fig. 1.** Column abundances of O<sub>3</sub>,  $\Omega(t)$ , in Dobson units ( $1 \text{ DU} = 2.69 \times 10^{16} \text{ molecules cm}^{-2}$ ), plotted against day number in 1987. Solid line, McMurdo ( $78^\circ\text{S}$ ,  $166^\circ\text{E}$ ); dashed line, area-mapped data with equivalent latitude (as defined by Eq. 3),  $\theta_E = -78^\circ$ ; dash-dot line, zonally averaged data for latitude  $\theta = -78^\circ$ . Days 240, 260, 280, and 300 correspond, respectively, to 28 August, 17 September, 7 October, and 27 October. All data were taken by TOMS (8).

O<sub>3</sub> within an area  $A$

$$\Sigma(t, A) = \int_{\sigma < A} \Omega(t, \sigma) d\sigma \quad (4)$$

The natural unit for  $\Sigma$  is the Area-Dobson unit ( $1 \text{ ADU} = 2\pi R^2 \times 1 \text{ DU} = 6.88 \times 10^{34} \text{ molecules}$ ;  $\Sigma = 600 \text{ ADU}$  for a hypothetical terrestrial atmosphere containing 300 DU of O<sub>3</sub> mixed uniformly over the globe).

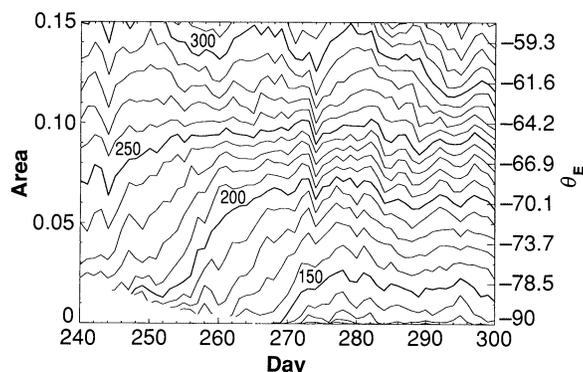
Figure 1 shows a comparison between TOMS measurements over McMurdo ( $78^\circ\text{S}$ ,  $166^\circ\text{E}$ ) from day 240 (28 August) to day 300 (27 October) and zonally averaged data for latitude  $\theta = -78^\circ$ , and area-mapped data for  $A = 0.0219 (\times 2\pi R^2)$ , corresponding to  $\theta_E = -78^\circ$ . Both zonal averaging and area mapping tend to filter out the synoptic perturbations, but the area-mapped quantities also appear to remove variations resulting from the displacement of the polar vortex away from the pole. Because of this, the area-mapped data vary more smoothly than the zonal average (11). For example, the large secondary maximum in the original McMurdo data after day 280 is primarily caused by the  $10^\circ$  displacement of the vortex toward Punta Arenas ( $53^\circ\text{S}$ ,  $71^\circ\text{W}$ ). [This displacement is most easily seen in the Nimbus-7 TOMS data atlas (10).] Zonal averaging failed to remove this type of motion completely, but area mapping did. Thus, area mapping provides a

more reliable measure of the time evolution of O<sub>3</sub> in the vortex than zonal averaging. This method is particularly valuable when one is making quantitative comparisons between data and theory for O<sub>3</sub> change (12).

The area-mapping technique is most useful for revealing the regional morphology of O<sub>3</sub> temporal evolution inside the vortex. For example, the analysis of O<sub>3</sub> for the polar region in spring shows (Fig. 2) the rapid depletion of O<sub>3</sub> from day 240 to day 278 in the vortex. Figure 3 presents a more detailed description of O<sub>3</sub> change over this period. It illustrates the existence of an extremely stable collar region always seen in the vicinity of  $\theta_E = 62^\circ\text{S}$ . Inside the vortex the O<sub>3</sub> change increases toward the center. This trend is more readily seen if we differentiate  $\Omega$  with respect to time (13, 14).

Figure 4 presents O<sub>3</sub> destruction rates ( $\partial\Omega/\partial t$ ). The results also show two distinct regimes. Changes in  $\Omega$  equatorward of  $\theta_E = -62^\circ$  are oscillatory, with periods of  $\leq 20$  days, and are due most likely to the action of planetary waves outside the polar vortex. The region of dynamical influence extends poleward toward the end of September and may dominate the O<sub>3</sub> change in October, long before the final warming in November. The rate of O<sub>3</sub> depletion poleward of  $\theta_E = -62^\circ$  during September, however, may be due solely to chemical destruction. [This area, sampled during the Airborne

**Fig. 2.** Contours of column O<sub>3</sub> abundances  $\Omega(t)$  in Dobson units plotted against enclosed area  $A(t, \Omega)$  in units of  $2\pi R^2$  from day 240 to day 300. The blank space in the lower left corner is caused by lack of data. Positive slopes indicate O<sub>3</sub> decreases, negative slopes indicate O<sub>3</sub> increases. The complete TOMS data for this period without smoothing are shown. The spacing between the contours is 10 DU. The equivalent latitude  $\theta_E$  is shown on the right scale.



Antarctic Ozone Experiment (AAOE), was identified as a chemically perturbed region.] The rate of O<sub>3</sub> depletion was generally largest close to the pole and remained high, ~2 to 3 DU day<sup>-1</sup>, from day 245 (2 September) to day 274 (1 October).

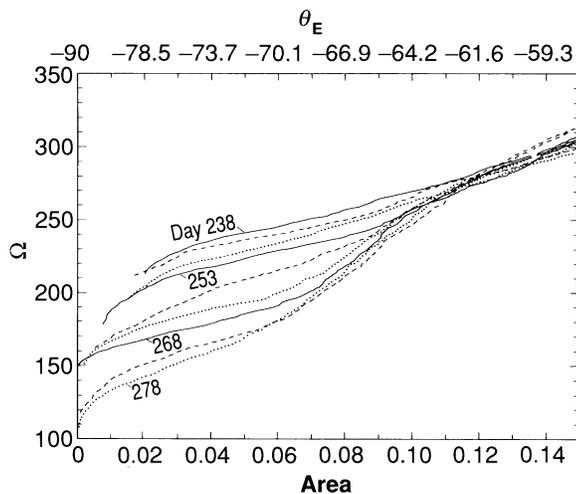
An examination of  $\Sigma(t, A)$ , (Eq. 4), shows additional features. At  $A = 0.15$  ( $\times 2\pi R^2$ ,  $\theta_E = -58^\circ$ ),  $\Sigma$  was equal to 35 ADU on day 240 and steadily decreased to 31 ADU on day 280. Because the area defined by  $A = 0.15$  ( $\times 2\pi R^2$ ) includes the collar as well as the vortex, we conclude that the sum of O<sub>3</sub> in these two regions decreased during this period. This is an unambiguous signature of the loss of O<sub>3</sub> by chemical destruction. After day 280 there was a steady increase of  $\Sigma$  to about 33 ADU at day 300, consistent with the influx of O<sub>3</sub>-rich air from lower latitudes.

There was a curious rate of O<sub>3</sub> loss of about 1 DU day<sup>-1</sup> near day 290. The contour for  $-0.5$  DU day<sup>-1</sup> (not shown in Fig. 4) extends from the collar to the pole. The extent of this decrease cannot be attributed to chemical destruction of O<sub>3</sub> because the catalytic schemes have by this time become ineffective (15). The nearly constant values of  $\Sigma$  around day 290 at the collar region ( $A = 0.12 \times 2\pi R^2$ ,  $\theta_E = -62^\circ$ ) suggest instead that the rapid decrease represents redistribution rather than chemical destruction. This could be accomplished by upwelling of tropospheric air followed by displacement of air from the center of the vortex (at about 18 km) toward the collar as first proposed by Tung *et al.* (16) and Mahlman and Fels (17).

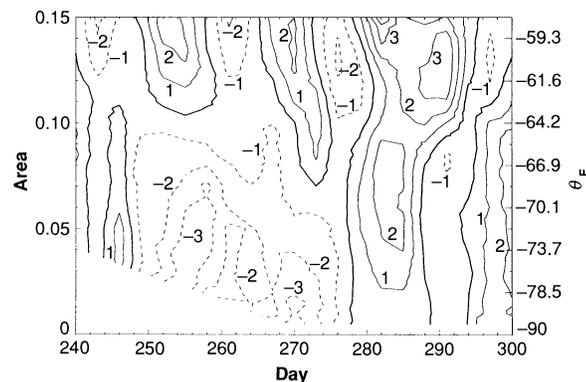
How do we relate the observed O<sub>3</sub> depletion rates shown in Fig. 4 to current theories? The effect of all important known catalytic schemes (3) and dynamics (16, 17) may be summarized by the following expression,

$$\frac{\partial \Omega}{\partial t} = -2 \int_0^\infty [\text{ClO}](k_1[\text{ClO}] + k_2[\text{BrO}] + k_3[\text{HO}_2]) dz - \nabla \cdot \mathbf{F} \quad (5)$$

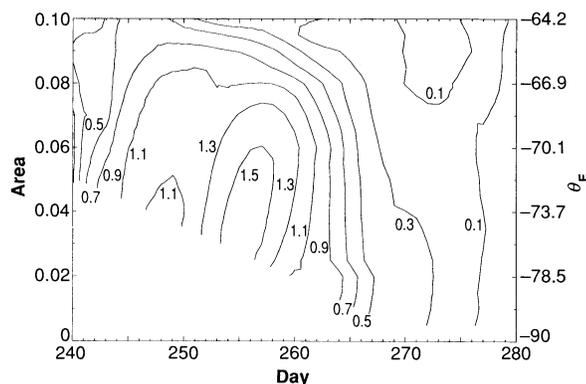
where  $[x]$  denotes the concentration of species  $x$ ;  $k_1$ ,  $k_2$ , and  $k_3$  are the appropriate rate coefficients (3, 5, 7); and  $\mathbf{F}$  is the vertically integrated horizontal flux of O<sub>3</sub>. The integral in Eq. 5 is dominated by contributions from the lower stratosphere (altitude  $z \approx 18$  km). On the basis of the modeling of O<sub>3</sub> loss at McMurdo by Sander *et al.* (7), the relative contributions of the ClO, BrO, and HO<sub>2</sub> cycles to O<sub>3</sub> destruction are 70%, 23%, and 7%, respectively. Because all catalytic schemes are driven by photolysis, the number of sunlight hours per day,  $S$ , must be accurately computed (18). We can relate



**Fig. 3.** Column O<sub>3</sub> abundances  $\Omega(t)$  in Dobson units plotted against enclosed area  $A(t, \Omega)$  in units of  $2\pi R^2$  for days 238 to 278 in steps of 5 days. The equivalent latitude  $\theta_E$  is shown on the upper scale.



**Fig. 4.** Contours of the time rate of change of column O<sub>3</sub> ( $\partial\Omega/\partial t$ ), in Dobson units per day, plotted against enclosed area  $A(t, \Omega)$  from day 240 to day 300. The dashed lines, heavy lines, and full lines denote negative, zero, and positive rates, respectively. Ozone losses in the vortex were limited by the number of hours of sunlight in early spring, and later by the intrusion of outside air. The time derivative is obtained by differentiating the area-mapped TOMS data presented in Fig. 2 after a 9-day weighted averaging, as described in the text (13, 14). The equivalent latitude  $\theta_E$  is shown on the right scale.



**Fig. 5.** Contours of ClO concentrations at 18 km in parts per billion by volume ( $\times 10^{-9}$ ) for area = 0 to 0.1 (in units of  $2\pi R^2$ ) and days 240 through 280, derived from Fig. 4 and Eq. 5 without dynamics. The vertical and horizontal scales are different from those in Figs. 2 and 4.

the derived O<sub>3</sub> depletion rates to ClO concentrations if we ignore the dynamical term in Eq. 5. This can be justified because our area-mapping technique has filtered out most of the synoptic fluctuations. Using the simple photochemical model of Sander *et al.* (7, 19), we deduced the volume mixing ratios of ClO at 18 km in the vortex ( $A = 0 - 0.12\pi R^2$ ) for days 240 through 280 (Fig. 5). The general trends of ClO—higher values toward the center, values increasing from day 240 to day 255—are consistent with those observed in the AAOE aircraft study (5) from day 232 (20 August)

to day 265 (22 September). The decline of ClO toward day 280 is also consistent with ground-based observations of OCIO from McMurdo (15). At about day 255, ClO concentrations reached a peak value of  $1.6 \times 10^{-9}$ , which is considerably higher than the maximum of  $1.1 \times 10^{-9}$  observed by Anderson *et al.* (5) on day 252 (9 September) at 18.5 km, 72°S, but is close to their revised value of  $1.4 \times 10^{-9}$  (20). Concentrations of ClO as high as  $1.7 \times 10^{-9}$  have been reported as a result of microwave experiments (21) during this period (days 263 through 267).

The ClO amounts derived here are sensitive to systematic errors in the retrieved column O<sub>3</sub> amounts (22). It has been suggested that TOMS may underestimate O<sub>3</sub> near the terminator. If so, the O<sub>3</sub> loss in the vortex during September—and thus the ClO concentrations—could be greater than computed here. This error implies that ClO concentrations near the center of the O<sub>3</sub> hole were greater than the values that have yet been observed at the more equatorward (equivalent) latitudes reached by the AAOE aircraft.

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10. A. J. Krueger *et al.*, *The 1987 Airborne Antarctic Ozone Experiment* (NASA Ref. Publ. 1201, National Aeronautics and Space Administration, Washington, DC, 1988).
11. The difference between the zonal mean O<sub>3</sub> and the area-mapped O<sub>3</sub> can be used as a measure of the effective displacement of the vortex off the pole.
12. For instance, the original McMurdo data show that, from day 240 to day 278, O<sub>3</sub> has apparently decreased by about 120 DU. The area-mapped data indicate that the loss at θ<sub>E</sub> = -78° is only about 70 DU. The remaining 50 DU is caused by displacements of the vortex center. This difference can be significant in a comparison of data and theory. Not only is the loss of 70 DU during this period more compatible with existing chemical theories, but also the shape of the loss profile—slower rate in the early period (when the number of sunlight hours is small) and faster rate later (when the day becomes longer)—is more consistent with these theories (5, 7). The model of Sander *et al.* (7) can account for the O<sub>3</sub> loss rates at θ<sub>E</sub> = -78°, whereas it has difficulties with the original McMurdo data.
13. We first performed a 9-day weighted averaging of the data to get rid of the daily fluctuations. The relative weighting for the central date is 1 and is 0.8, 0.6, 0.4, and 0.2, respectively, for points ±1, ±2, ±3, and ±4 days away from the central date. A comparison of the original and smoothed data indicates that all the large-scale features of interest are preserved in the smoothing. We have also tried filtering with boxcar windows of 3, 5, 7, and 9 days. The essential features are preserved.
14. The differentiation is carried out by differencing the smoothed data points separated by 1 day. Because of the smoothing described in (13), the derived ∂Ω/∂t represents O<sub>3</sub> losses averaged over several days.

15. It is generally accepted that the catalytic mechanisms for destroying O<sub>3</sub> are ineffective by this time. S. Solomon *et al.*, *J. Geophys. Res.* **94**, 11393 (1989); R. W. Sanders *et al.*, *ibid.*, p. 11381; C. B. Farmer *et al.*, *Nature* **329**, 126 (1987).
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18. At z = 18 km on day 255 (12 September), S = 12 hours at all latitudes. Before this date S < 12 hours and after this date S > 12 hours. The pole at 18 km remains in the shadow before day 250 (7 September) and starts to receive more than 20 hours of sunlight per day after day 260 (17 September). S can be readily computed as a function of latitude, altitude, and time. However, we consider the computation of a static S based on geometry and solar illumination alone as unrealistic, because each parcel of air moves around the pole and makes large excursions across latitude circles. Thus, the correct S must reflect the trajectory history of any air parcel. Because the O<sub>3</sub> isopleths are approximately the trajectories of air parcels in the vortex, we can derive an approximate trajectory-averaged number of sunlight hours per day,  $\bar{S}$ , by performing the appropriate weighting around each O<sub>3</sub> contour. The general behavior of  $\bar{S}$  is consistent with excursions of the vortex off the pole; thus, the number of hours of exposure to sunlight in early spring increased relative to the zonal mean value.
19. We used the model of Sander *et al.* (7) without the higher chlorine oxides and with the effective length of the day  $\bar{S}$  computed in (18). We adopted the

- vertical profile of ClO obtained by Barrett *et al.* (6). On day 260, ClO = 1.1 ppbv at 18 km,  $\bar{S} = 15$  hours at McMurdo ( $A = 0.0219 \times 2\pi R^2$ , θ<sub>E</sub> = -78°, ∂Ω/∂t = -2.5 DU per day. We deduced all other values of ClO at 18 km by inverting Eq. 5 without the dynamical term and holding the concentrations of BrO and HO<sub>2</sub> fixed as in (7).
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22. It is known that TOMS measurements tend to underestimate total column O<sub>3</sub> abundances by 20 to 40 DU near the terminator. This error implies that the actual initial O<sub>3</sub> abundances near the vortex center are higher than the values reported here. Hence the loss rates would be higher also.
23. We are grateful to R. Stolarski for providing TOMS data before publication and to P. Newman for sending us potential vorticity data. We thank K. K. Tung, R. Friedl, J. Rodriguez, M. Schoeberl, and R. L. Shia for illuminating discussions, S. Solomon for critical comments on systematic errors of TOMS data, and X.-L. Zhu for plotting all the graphs in this report. Part of the research described in this paper was carried out by the Jet Propulsion Laboratory, under contract with the National Aeronautics and Space Administration, and was also supported by NASA grant NAGW-413 to the California Institute of Technology. Contribution number 4783 from the Division of Geological and Planetary Sciences, California Institute of Technology.

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## A Genetic Test of the Natal Homing Versus Social Facilitation Models for Green Turtle Migration

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**Female green turtles exhibit strong nest-site fidelity as adults, but whether the nesting beach is the natal site is not known. Under the natal homing hypothesis, females return to their natal beach to nest, whereas under the social facilitation model, virgin females follow experienced breeders to nesting beaches and after a "favorable" nesting experience, fix on that site for future nestings. Differences shown in mitochondrial DNA genotype frequency among green turtle colonies in the Caribbean Sea and Atlantic Ocean are consistent with natal homing expectations and indicate that social facilitation to nonnatal sites is rare.**

**M**ARINE TURTLES OFTEN USE nesting beaches that are hundreds or even thousands of kilometers removed from their foraging grounds. The hypothesis that marine turtles return to nest on their natal beach (perhaps guided in part by olfaction) (1) is derived primarily from the strong nest-site fidelity of adult females, as revealed by repeated capture of tagged individuals on the same beach in successive nesting seasons (2-7). Despite the fundamental importance of this possibility to an understanding of turtle life histories, the

natal homing hypothesis remains unproven. The main obstacle to testing it has been the lack of a physical tag that persists on a turtle for the estimated 30 or more years that elapse between hatching and sexual maturation (8). Colonial nesting and nest-site fidelity are known to be especially well developed in the green turtle (*Chelonia mydas*) (2, 3, 4, 7); only in rare instances (9, 10) have marked adult females been observed at a nesting beach other than the one at which they were originally tagged.

Hendrickson (11) and Owens *et al.* (12) advanced an alternative theory for nest-site selection that is also consistent with the observed site fidelity of adult females. Under their social facilitation model, virgin (mature, unmated) females randomly encounter experienced females on foraging grounds. They then follow the experienced females to

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